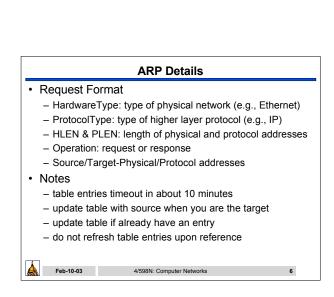
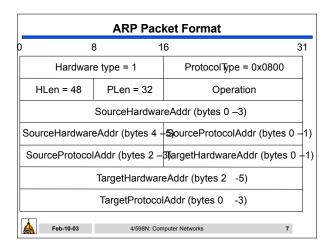
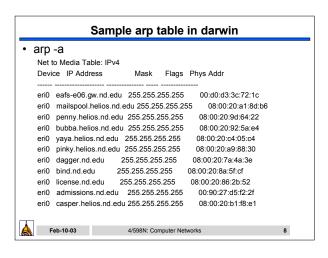
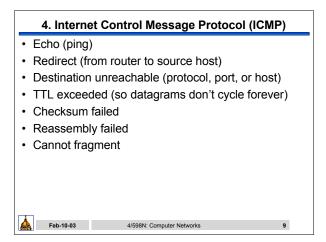


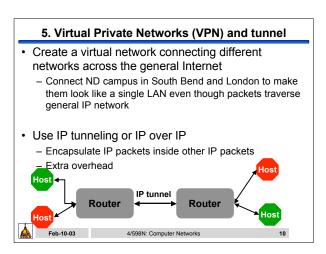
Address Translation • Map IP addresses into physical addresses - destination host - next hop router • Techniques - encode physical address in host part of IP address - table-based • ARP - table of IP to physical address bindings - broadcast request if IP address not in table - target machine responds with its physical address - table entries are discarded if not refreshed

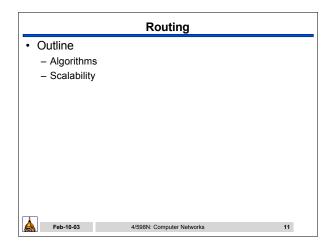


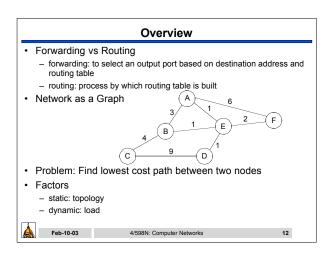


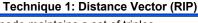






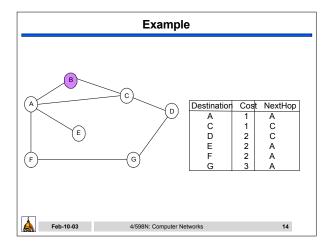




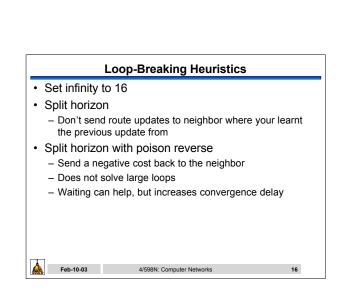


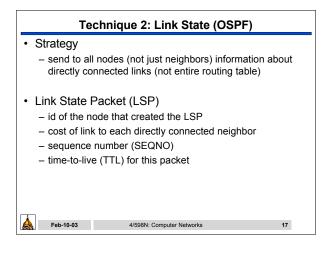
- · Each node maintains a set of triples
 - (Destination, Cost, NextHop)
- · Exchange updates directly connected neighbors
 - periodically (on the order of several seconds)
 - whenever table changes (called triggered update)
- · Each update is a list of pairs:
 - (Destination, Cost)
- Update local table if receive a "better" route
 - smaller cost
 - came from next-hop
- · Refresh existing routes; delete if they time out

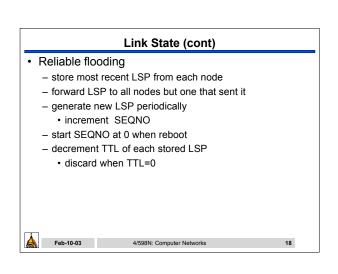




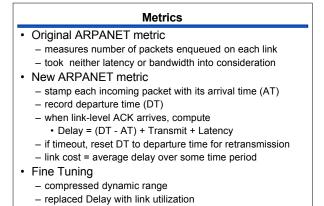
Routing Loops Example 1 - F detects that link to G has failed - F sets distance to G to infinity and sends update to A - A sets distance to G to infinity since it uses F to reach G - A receives periodic update from C with 2-hop path to G - A sets distance to G to 3 and sends update to F - F decides it can reach G in 4 hops via A · Example 2: count to infinity problem - link from A to F fails - A advertises distance of infinity to E - B and C advertise a distance of 2 to E - B decides it can reach E in 3 hops; advertises this to A - A decides it can read E in 4 hops; advertises this to C - C decides that it can reach E in 5 hops... Feb-10-03 4/598N: Computer Networks







Poute Calculation Dijkstra's shortest path algorithm Let N denotes set of nodes in the graph I(i, j) denotes non-negative cost (weight) for edge (i, j) s denotes this node Menotes the set of nodes incorporated so far C(n) denotes cost of the path from s to node n M = {s} for each n in N - {s} C(n) = 1(s, n) while (N! = M) M = M union {w} such that C(w) is the minimum for all w in (N - M) for each n in (N - M) C(n) = MIN(C(n), C (w) + 1(w, n))



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